# Consensus Strategy for State-Aware Coordination of Renewable Energy Sources and Battery Storage Systems in Islanded DC Microgrids

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***Abstract*—Islanded DC microgrids relying on Renewable Energy Sources (RESs), such as photovoltaic and wind systems, face significant challenges in maintaining stable operation due to the intermittent nature of renewable generation and the uncertainty of demand. To address this issue, energy storage systems (battery stacks) are typically integrated to balance supply and demand over different time scales. Effective coordination of these components is therefore essential for reliable long-term operation. This paper proposes a consensus-based control approach that coordinates in-service batteries to i) compensate the power imbalances when RES units do not match the demanded load, and ii) achieve consensus among the batteries' State of Charge (SoC). By driving the SoCs to consensus, the proposed method helps improving their performance and lifespan, while ensuring that the load demand is satisfied. In scenarios where all the batteries are fully charged, power redistribution among RES units is employed to preserve the supply–demand balance. Simulation results confirm the effectiveness of the presented method in achieving SoCs consensus under different operating conditions. In addition, a realistic converter transfer function model is incorporated to validate the proposed control strategy.**

**Index terms:** *Consensus, multi-agent systems, microgrid, SoC balancing, energy management.*

## I. Introduction

The increasing penetration of Renewable Energy Sources (RESs), particularly solar and wind, is transforming modern power systems from centralized generation toward decentralized architectures. In this context, DC Microgrids (DC-MGs) allow efficient integration of components with inherently DC characteristics, such as most RESs and domestic loads, as well as Energy Storage Systems (ESSs) [1]. Fig. 1 shows a generic structure of an isolated DC-MG. Isolated DC microgrids can be found in applications such as remote telecom sites, data centers, off-grid residential or industrial areas [2]. This paradigm reduces energy losses by eliminating multiple conversion stages. Moreover, the absence of frequency, reactive power, and grid synchronization requirements simplifies DC-MG control [3].

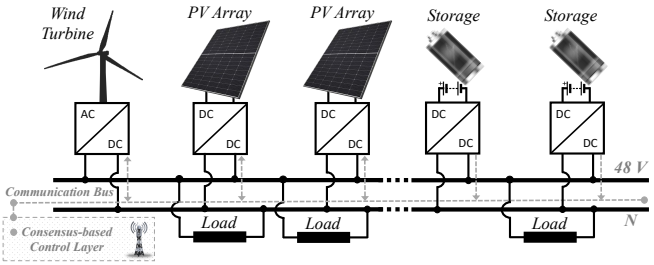


Fig. 1: A typical islanded DC-MG.

In modern stand-alone DC-MGs that rely on intermittent RESs, maintaining reliable operation remains a primary challenge. The inherent variability of these sources can exacerbate the mismatch between supply and demand [2]. Since the system's power balance primarily affects the common bus voltage, this equilibrium must be maintained in real time to keep the bus voltage close to its nominal value [4]. To address this issue, Battery Energy Storage Systems (BESSs) can be employed, due to their capability to support bidirectional energy flow [5].

However, when multiple BESSs are connected in parallel, it is desirable for batteries with different capacities and initial $SoC$ levels to contribute to power compensation according to their unit-specific characteristics so that their $SoC$ differences can be gradually equalized over time [6]. Achieving such $SoC$ balancing is important to minimize the depth of discharge of individual batteries and to prevent overcharging or deep discharging leading to a longer service life [7].

When multiple generation units operate within the DC-MG, it is generally desirable to work in MPPT mode to harvest all available power. However, it is not always applicable in isolated entities, as it may lead to an unmanageable excess of energy [8]. Therefore, in cases of excessive generation

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with fully charged batteries, there should be an option to curtail the power and manage the supply to match demand. To this end, different ratings of RESs should also be taken into account in determining their participation in power provision [7]. This consideration is essential to extend the lifetime of each unit by avoiding overgeneration and preventing thermal stress on the converters of smaller units [9]. Thus, besides voltage regulation, $SoC$ management of batteries, and current sharing among in-service units are crucial for safe and reliable operation of the microgrid [10]. For this purpose, coordinated operation of the units is required.

Consensus-based control is the natural control tool to design cooperative energy management in islanded microgrids [11]. Consensus algorithms can coordinate energy sources through local communication to achieve objectives such as voltage regulation, efficient battery operation, power sharing, and minimized energy cost without relying on intensive computation units [12]. Consensus-based control offers faster computations compared to optimization-based controllers, and improved situational awareness compared to conventional controllers, by taking advantage of communication among agents.

Consensus-tracking methods have been applied to coordinate the $SoC$ of heterogeneous storage units while simultaneously maintaining voltage and frequency stability [13]. However, most existing studies assume that PV units operate in a fixed mode, typically under MPPT. In this work, a more realistic control strategy is proposed, considering all possible operating modes of the DC-MG while accounting for the unit-specific characteristics of the batteries and RESs to achieve an accurate power distribution among the units.

However, employing a standard consensus protocol to coordinate the batteries is not suitable since, once batteries are active, it causes circular currents among the batteries and wastes energy [14]. To solve this issue, a modified consensus algorithm is proposed that avoids such energy flows among BESSs during replenishment. Hence, the demanded load will be energized by the RES units and supported by batteries, and the batteries with low $SoC$ will only be charged by the RES units once the RESs' MPPT-based generation exceeds the demand.

Based on the above discussion, this paper proposes a modified consensus-based control strategy for $SoC$ coordination of heterogeneous batteries in islanded DC-MGs with RES units. By including unit-specific data of the batteries and RESs, the proposed approach aims to propose an energy management approach that provides proper flexibility while covering all possible operating modes of the DC-MG. Here, RESs operate in the MPPT phase as the primary controllers of the system, while the batteries are activated in charging/discharging mode depending on the supply–demand conditions. In the case of surplus generation of MPPT-based RESs and fully charged batteries, the RES units will be switched from MPPT to load-sharing mode in order to preserve the supply–demand balance. To the best of the authors' knowledge, the proposed approach introduces a new strategy for state-aware coordination of battery storage and RESs in islanded DC-MGs. Moreover, the provided method has been validated with a real converter.

The remainder of the paper is organized as follows: Section II provides some preliminaries, Section III presents the problem formulation for the proposed consensus algorithm, dynamics and operational modes, and the DC-bus signaling approach used to derive the deficit/surplus current for battery coordination. Simulations are presented in Section IV and Section V concludes the paper.

## II. Preliminaries

This section provides the necessary notation employed in the problem formulation. An undirected graph $G(\mathcal{V}, \mathcal{E})$, where $\mathcal{V} = \{v_1, \ldots, v_N\}$ is the set of nodes, and $\mathcal{E} \subseteq \mathcal{V} \times \mathcal{V}$ is the set of edges. An edge $(v_i, v_j)$ denotes the information flow from node $i$ to node $j$. The set of neighbours of node $v_i$ is defined as $\mathcal{N}_i = \{v_j \in \mathcal{V} : (v_j, v_i) \in \mathcal{E}\}$. The adjacency matrix $A$, associated with a graph, represents the connections of the nodes. In other words, $A = (a_{ij})$ is such that $a_{ij} = 1$ if $(i, j) \in \mathcal{E}$ and $a_{ij} = 0$ otherwise. Let $D(G) = (d_{ij})$ be the degree matrix with $d_{ij} = \deg(v_i)$ if $i = j$ and $d_{ij} = 0$ otherwise, where $\deg(v_i)$ is the number of edges connected to node $v_i$. The Laplacian matrix is defined as $L = D - A$. A graph is connected if a path exists from each node to every other node, and a graph is fully connected if there is a direct path between every pair of nodes.

## III. Problem definition

This section introduces the consensus algorithm proposed in this work, the microgrid's possible operating modes, and some useful remarks highlighting related key aspects.

### A. Consensus Algorithm

Consensus is a widely used method for MAS in which the states/outputs of the agents reach the same value [15]. This state can represent a variety of concepts, including currents and voltages [16], the position of drones [17], etc. For a continuous-time system, the consensus algorithm is defined as follows.

**Definition 1.** *A set of agents of a multi-agent system reaches consensus in their states if and only if:*

$$\lim_{t \to \infty} (x_i(t) - x_j(t)) = 0. \tag{1}$$

The necessary and sufficient condition for reaching consensus is to have a connected underlying communication graph. However, we assume to have a fully connected communication network among the in-service units. To model the dynamics of each of the batteries, a single integrator in discrete-time domain is used in (2):

$$x_i(k+1) = x_i(k) + T_s u_i(k) \tag{2}$$

Here, $x_i$, $T_s$, $u_i$ are the sate, sampling time, and control input, respectively. To achieve consensus among the agents, the control input is as follows:

$$u_i(k) = g \sum_{j \in \mathcal{N}_i} a_{ij}(x_j(k) - x_i(k)) \tag{3}$$

where $a_{ij}$ are the elements of the adjacency matrix $A$, and $g \in \mathbb{R}$ is a positive control gain that must satisfy $0 < g \leq \frac{1}{D_{\max}}$ to lead to consensus [11]. The quantity $D_{\max} > 0$ denotes the maximum degree of a node in the degree graph.

### *B. Dynamics and Operating Modes*

The $SoC$ of a battery in an islanded grid is defined based on the current that charges/discharges it, the sampling time, the capacity of the battery, and the initial $SoC$, which is known as the Coulomb Counting Method [18]. For a discrete-time dynamical model, the dynamics of the $SoC$ is given by:

$$SoC_i(k+1) = SoC_i(k) - \frac{\Delta T \cdot I_i(k)}{3600 \cdot C_i}, \qquad i = 1, \ldots, N, \tag{4}$$

where $N$ is the number of batteries, $\Delta T$ is the sampling time, and $SoC_i$, $C_i$, and $I_i$ are the state of charge, capacity (Ampere-hours, Ah), and reference current of battery $i$, respectively. Based on this formulation, if $I_i$ is positive (negative), the battery discharges (charges), meaning that the $SoC$ decreases (increases). Four different operating modes are possible based on the amount of generated energy and consumption.

**Mode 1:** When the demanded power is equal to the power generated by the RES units; therefore, the BESSs remain out of service in this operating condition.

**Mode 2:** When the demanded power exceeds the total power generated by the MPPT-based RES units, the batteries must compensate for the deficit to meet the demanded load.

**Mode 3:** When the demanded power is lower than the power generated by the MPPT-based RES units the batteries are activated to act as additional loads and absorb the surplus energy.

**Mode 4:** Once the BESSs are fully charged, they can no longer operate as additional loads. If generation still exceeds the demand, the voltage of the common bus begins to rise. To prevent it, the RESs exit the MPPT mode and switch to load-sharing control, thereby reducing their power generation and regulating the common bus voltage.

Note that in Mode 4, the currents of the RES units will be decreased to meet the demanded energy; therefore, they are no longer in MPPT mode. The division of the currents is based on the maximum currents that each of the RES units can supply. Aside from Mode 1, which is the ideal mode, the remaining working modes can happen in two different cases, as follows.

**Case 1.** *The $SoC$s are the same for the batteries.*

For this case, there is no need to run a consensus algorithm for the batteries, and the charging/discharging will be based on their capacities. Of course, this process should be carried out to keep the $SoC$s the same over the operation time. Based on (4), we have:

$$Soc_i(k) - \frac{\Delta T I_i(k)}{3600 \cdot C_i} = Soc_j(k) - \frac{\Delta T I_j(k)}{3600 \cdot C_j} \tag{5}$$

Since $SoC$s are equal, one can write equation (5) as follows:

$$\frac{I_i(k)}{C_i} = \frac{I_j(k)}{C_j} \tag{6}$$

Considering and extending (6), the reference current when the $SoC$s are the same is as follows:

$$I_i(k) = \frac{I_{\text{error}}(k) C_i}{\sum_{j=1}^{N} C_j}, \tag{7}$$

where $I_{\text{error}} = I_{\text{demand}} - \sum_{i=1}^{M} I_{\text{RES}_i}$ ($M$ is the number of RES units). Using this simple formula for the currents of the batteries, the $SoC$s will remain the same for all the batteries. Note that $I_{\text{error}}$ can be negative/positive, which causes the batteries to charge/discharge, respectively. $I_{\text{demand}}$ is the required current that must be provided by the sources to preserve the common bus voltage at its nominal value. This value can be determined using the DC bus signaling technique [4], which is described in the following subsection.

**Case 2.** *The $SoC$s are not the same for the batteries.*

In this case, the consensus algorithm must be run for the batteries to reach the same values of $SoC$, as well as to discharge/charge the batteries with a suitable proportion of the currents to respect the capacities of the batteries. Consider the consensus formula for the case of $SoC$s (8):

$$Soc_i(k+1) = Soc_i(k) + g \sum_{j \in N_i} a_{ij}(Soc_j(k) - Soc_i(k)) \tag{8}$$

Based on (4) and (8), one can compute the values of the currents that discharge/charge the batteries to reach consensus on the $SoC$s. In (8), the control input is the difference between $SoC$s, which needs to be translated into the required current from the battery. This can be done using (4) and (8) as follows.

$$g \sum_{j \in N_i} a_{ij}\big(Soc_j(k) - Soc_i(k)\big) = -\frac{\Delta T \cdot I_{Soc_i}(k)}{3600 \cdot C_i}$$

$$I_{Soc_i}(k) = \left(-\frac{3600 \cdot C_i}{\Delta T}\right)\left(g \cdot \sum_{j \in N_i} a_{ij}\big(Soc_j(k) - Soc_i(k)\big)\right) \tag{9}$$

where $I_{SoC_i}$ is the current needed to compensate for the difference in the $SoC$. $I_{SoC_i}$ and $I_{\text{error}}$ will be used to compute the reference current of each battery, $I_i$. Note that $I_{SoC_i}$ can be a large current because of the nature of the relationship between the current and the $SoC$ of a battery.

TABLE I: Characteristics of the tested DC-MGs.

| Parameters | Symbol | Value |
|---|---|---|
| Nominal Voltage | $V_{nom}$ | 48 V |
| Max. Current ($PV_1$ & $PV_2$) | $I_{max}$ | 10 A |
| Max. Current ($Wind\ Turbine$) | $I_{max}$ | 5 A |
| Common Bus Capacitance | $C_{bus}$ | 20 mF |

Let us define $\Delta_i = g\sum_{j\in\mathcal{N}_i} a_{ij}\big(SoC_j(k) - SoC_i(k)\big)$. From (9), one can notice the large value of $3600 \cdot C_i$, which is natural since the $SoC$ of a battery changes slowly while charging/discharging. Therefore, this paper suggests to compute the reference current for each battery as in (10).

$$I_i(k) = \begin{cases} \dfrac{I_{Soc_i}(k)}{\sum_{j=1}^{N} I_{Soc_j}(k)} I_{\text{error}} & I_{\text{error}}\Delta_i < 0, \\ 0 & else. \end{cases} \tag{10}$$

The first condition refers to the fact that the signs of $I_{\text{error}}$ and $\Delta_i$ must be different. For instance, when $I_{\text{error}}$ is positive (negative), it means that the batteries should deliver (absorb) current; however, only those batteries should participate that have a negative (positive) $\Delta_i$, which means that they have a greater (smaller) $SoC$ with respect to the others.

### C. DC Bus signaling

As stated in Section I, the DC common-bus voltage (i.e., $V_{bus}$) reflects the power balance condition of the microgrid. This is because a generation deficit discharges the equivalent DC-bus capacitor, causing a voltage drop, whereas surplus generation charges it, resulting in a voltage rise. This correlation between the common-bus equivalent capacitance and the voltage deviation determines the proper value of $I_{\text{error}}$, the parameter that specifies the surplus or deficit current to be compensated by the batteries. Irrespective of the operating mode of the microgrid, the common-bus voltage is modeled as:

$$V_{bus} = \frac{1}{C_{bus}} \int_{t_0}^{t} \left( I_{\text{demand}} - \sum_{i=1}^{M} I_{RES_i} \right) dt \tag{11}$$

where $C_{bus}$ is the common bus capacitance. Assuming an ideal controller, an ideal battery (with negligible terminal-voltage variation across different $SoC$ levels), and considering the demonstration in [6] that line resistances can be designed to ensure negligible voltage drops, the dynamic behavior of $V_{bus}$ can be obtained by solving the previous differential equation, given by:

$$V_{\text{bus}}(t) = V_{\text{bus}}(t_0) + \frac{I_{\text{demand}} - \Sigma_{i=1}^{M} I_{RES_i}}{C_{\text{bus}}} (t - t_0), \tag{12}$$

Thus, $V_{\text{bus}}$ changes linearly with time, with the slope of $(I_{\text{demand}} - \Sigma_{i=1}^{M} I_{RES_i})/C_{\text{bus}}$. Under normal conditions, $V_{\text{bus}}(t_0) = V_{nom}$. In steady-states, the voltage deviation from its nominal value (i.e., $\Delta V = \lim_{t\to\infty} V_{bus}(t) - V_{nom}$) is zero provided that the supply satisfies the demand, denoted as $I_{\text{error}} = 0$. Otherwise, $I_{\text{error}}$ can be computed from the resulting voltage deviation at the common bus as well as the sum of measured terminal currents of $i$-th RES, as shown in (12).

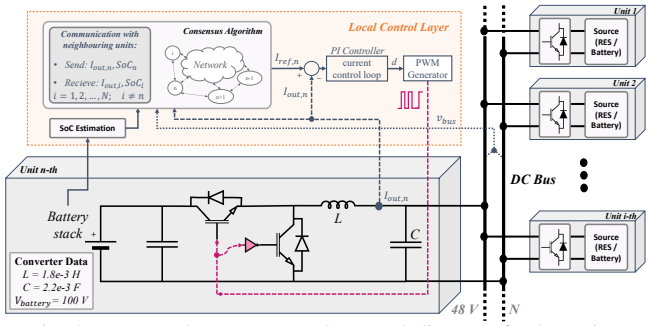


Fig. 2: Proposed converter and control diagram for batteries.

### D. Converter and Controller Diagram

As shown in Fig. 2, the local controller layer receives the information regarding $SoC$s, currents, and bus voltage to compute the reference current for the $SoC$ consensus among the storage units. Using a PI controller, the error between the battery and reference current is used to provide the needed duty cycle. This duty cycle will then be applied to a Pulse Width Modulation (PWM) generator to control the battery current by manipulating the corresponding converter, and eventually, leading to voltage regulation and $SoC$ consensus among the batteries. The converter transfer function based on this elaboration can be determined as follows:

$$G_{Converter} = \frac{I_{Battery}}{DutyCycle} \frac{1 + r_C Cs}{LCs^2 + (\frac{L}{R} + (r_L + r_C)C)s + (1 + \frac{r_L}{R})} \tag{13}$$

where $C$ and $L$ represent the capacitance and inductance of the converter output filter, respectively, and $R$ is the total load connected to the bus. The parameters $r_C$ and $r_L$ stand for the Equivalent Series Resistances (ESRs) of the filter capacitor and the inductor, respectively, which are included to model the converter more realistically [19].

## IV. Simulation Results

In this section, the simulation results for the consensus among the $SoC$s, and charge/discharge currents of the batteries have been illustrated. Three different examples have been covered to show different operation modes of the islanded grid.

*1) Example 1:* In this example, modes 1,2, and 3 has been simulated. For the initial parameters, we considered $N = 5$ batteries with initial $SoC$s of $SoC = [0.9, 0.5, 0.7, 0.8, 0.6]$, zero initial currents from the batteries, capacities as $Cap = [50, 100, 150, 200, 250]Ah$, $g = 0.2$, and $\Delta T = 1s$. The simulation runtime is 86400 seconds (a full day). The demanded energy from the grid, and the produced energy from RESs are time-varying. Due to changes in sunlight and wind, neither RESs produce constant energy, nor do consumers use constant energy during the day. Fig. 3 shows

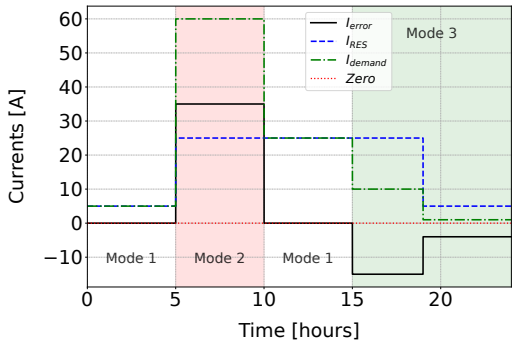


Fig. 3: Demanded and produced currents in a day.

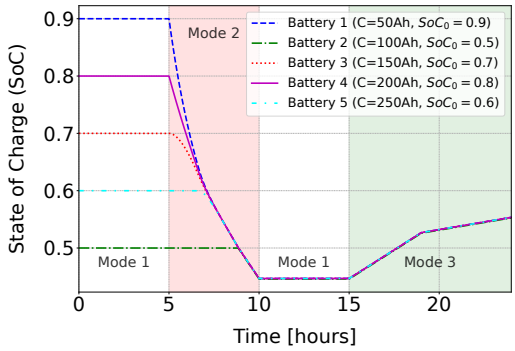


Fig. 4: Consensus of the $SoC$s for $N = 5$ batteries

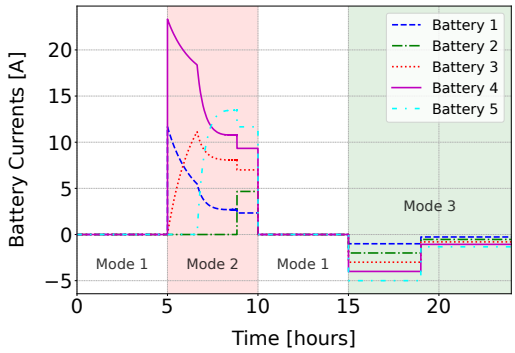


Fig. 5: Battery currents for $N = 5$ batteries

$I_{\text{demand}}$, $I_{RES}$, and $I_{\text{error}}$ representing a logical operating mode for a full day.

Fig. 4 shows the consensus of the $SoC$s for the batteries. Starting from the initial $SoC$s, they reach consensus and then continue to discharge/charge based on the demanded and produced energy. Obviously, battery 2 does not participate in the consensus until 8 hours due to the positive $I_{error}$ and its negative $\Delta_i$ as in (10).

Fig. 5 shows the coordinated charge/discharge currents for the $N = 5$ batteries based on the supply and demand.

*2) Example 2:* Consider that the amount of produced energy is more than the demanded one; so, the batteries are full and they cannot absorb the exceeded energy. As mentioned in Mode 4, the RES units reduce their production in order to meet the demanded energy. Initial conditions are the same except for $Cap = [50, 100, 150, 200, 250]Ah$. Fig. 6 shows the $SoC$s of the batteries in which all of them

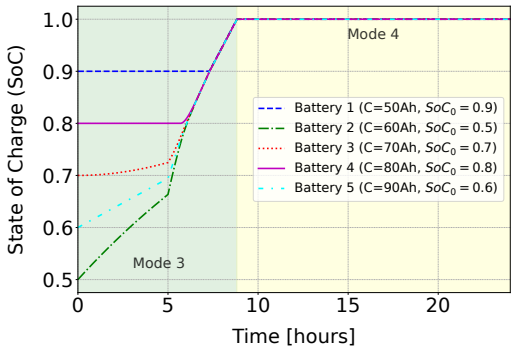


Fig. 6: $SoC$ consensus in Mode 4 for $N = 5$ batteries

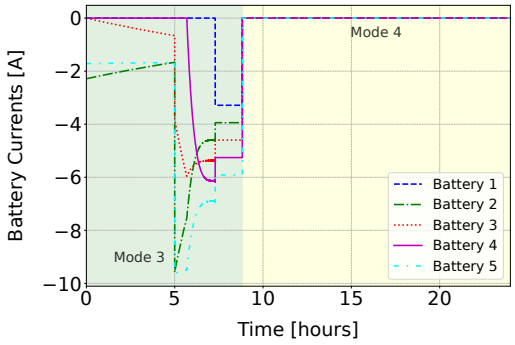


Fig. 7: Battery current in Mode 4 for $N = 5$ batteries

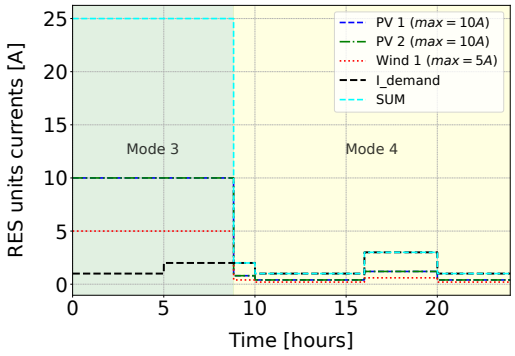


Fig. 8: Demanded and RES units' currents in Mode 4 for $M = 3$ RES units.

have reached 1 while they are in Mode 3.

Fig. 7 shows the reference currents of the batteries in Modes 3 and 4. In Mode 3, they absorb the exceeded energy, and as soon as their $SoC$ reaches one, the RES units change their mode to 4.

The produced energy in Mode 4 must exactly meet the demanded energy, which can be seen in Fig. 8. With a changing $I_{\text{demand}}$, the sum of the RES units follows the demanded energy.

*3) Example 3:* This example illustrates the implementation of the proposed algorithm applied to a real converter transfer function. This model incorporates the details of a real converter model where its input is the duty cycle and its output is the battery current. Note that for this simulation, we considered sampling time $T_s = 0.001s$, total duration of $T = 3s$, initial $SoC = [0.5, 0.8, 0.3]$, battery capacity of

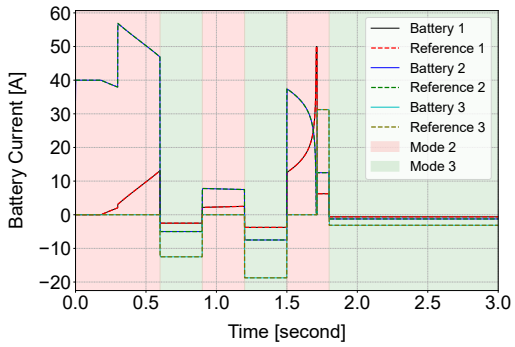


Fig. 9: The battery currents provided by the converters.

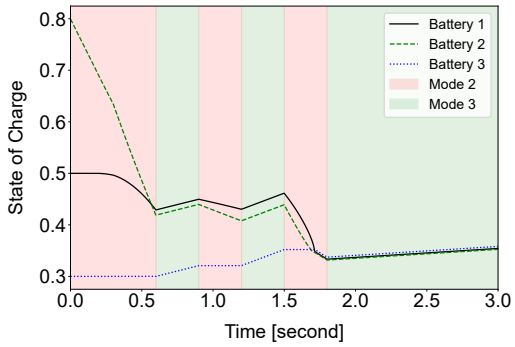


Fig. 10: The $SoC$ convergence for the batteries working in Mode 2 and Mode 3.

$Cap = [0.01, 0.02, 0.05]$, and $N = 3$ batteries. The reason to choose small capacities is due to avoid long simulation time. The PI controller's parameters are $k_P = 0.001$, and $k_I = 40$ which leads to a perfect tracking of the reference current with a transition time equal to 5 samples ($0.005s$). Fig. 9 demonstrates the currents that the batteries delivered as demanded by the converters. Obviously, the tracking of the current is almost perfect which shows the effectiveness of the algorithm in real-time. Mode 2 and 3 have been considered for this example. Also, Fig. 10 demonstrates the convergence of the $SoC$s for the batteries using the converter transfer function model.

Based on the Fig 9 and Fig 10, the algorithm shows a perfect tracking of the reference current in a short time while respecting the real-time constraints.

## V. Conclusion

This paper presented a consensus-based control strategy for coordinating heterogeneous battery storage units in islanded DC microgrids. By incorporating $SoC$- and capacity-aware coordination, together with a current term derived from DC-bus voltage signaling, the proposed approach allows balanced $SoC$ evolution across units, mitigates undesired battery-to-battery energy exchange, and achieves effective current sharing across varying operating modes.

The strategy also manages periods of surplus renewable generation – particularly when all batteries are fully charged – to prevent DC-bus overvoltage. Simulation results demonstrate that the method achieves $SoC$ consensus, maintains supply–demand balance, and reduces operating stress that may adversely affect battery lifetime.

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